

Aufgabe 13.3

last edited on January 18, 2012 07:21 PM by admin

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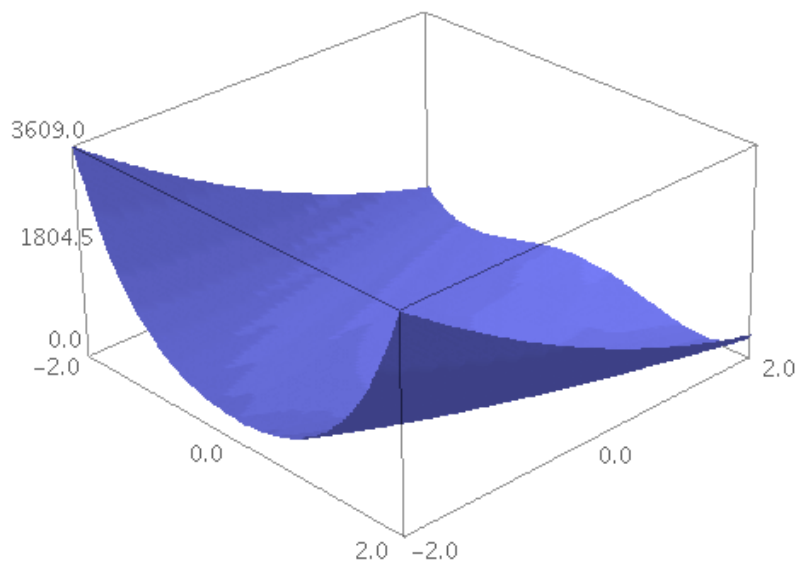
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Rosenbrock-(Bananen-)Funktion
 $f(x,y)=100*(y-x^2)^2+(1-x)^2$
 hat ein Minimum im bananenförmigen Tal,
 das sich langs der Parabel $y = x^2$ erstreckt.
 Das Minimum liegt im Punkt $(1,1)$

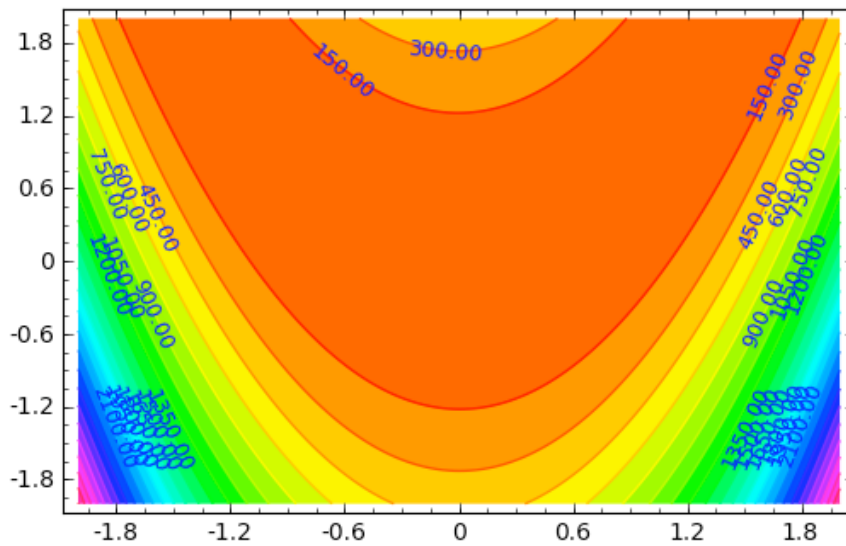
[evaluate](#)

```
x,y = var('x,y')
P1 = plot3d(100*(y-x^2)^2+(1-x)^2, (x,-2,2),(y,-2,2),plot_points=101)
P1
```



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```
var('x,y')
f = 100*(y-x^2)^2+(1-x)^2
myplot=contour_plot(f,(-2,2),(-2,2), fill=True, cmap='hsv',
contours=27,plot_points=151, labels=True)
show(myplot)
```



```
x,y = var('x y')
f = 100*(y-x^2)^2+(1-x)^2
minimize_constrained(f, [(None, None), (-2, 2)], [-2, 2])
```

```
(0.999418608809, 0.998834987829)
```

```
x,y = var('x y')
f = 100*(y-x^2)^2+(1-x)^2
minimize(f, [0.1, 0.1])
```

```
Optimization terminated successfully.
  Current function value: 0.000000
  Iterations: 21
  Function evaluations: 26
  Gradient evaluations: 26
(0.999999997488, 0.999999994921)
```